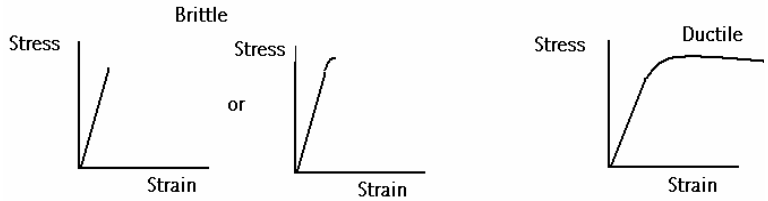
Unit 1 6PH01_01

Question Number	Answer	Mark
1	B	**(1)**
	Total for question	**1**

Question Number	Answer	Mark
2	A	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
3	C	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
4	D	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
5	A	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
6	B	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
7	B	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
8	C	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
9	D	**(1)**
	Total for question	**1**
Question Number	Answer	Mark
10	A	**(1)**
	Total for question	**1**

Question Number	Answer	Mark
11(a)	Explain the difference between scalar quantities and vector quantities. It must mention direction or give an e.g. with direction. [Vectors have direction 1 mark. Scalars don't have direction 1 mark] scalar – magnitude/size only but vector – magnitude/size and direction (1) (accept vector has direction but scalar doesn't)	1
11(b)	Comment on this statement. (QWC – Work must be clear and organised in a logical manner using technical wording where appropriate) velocity is: a vector / speed in a given direction / = displacement/time / = (total distance in a particular direction)/time [accept references to velocity being postive and negative / changing direction] (1) end and start at the same place / distance in any direction is zero / displacement = 0 (1) so it's true – (ave) vel = zero (1) (consequential on 2nd mark)	3
	Total for question	**4**

Question Number	Answer	Mark
12 (a)	Add to the diagram to show the water flow at A_2 and B_2. Laminar at A_2 – minimum 2 lines, approximately straight and parallel, lines mustn't cross (1) Turbulent at B_2 – indicated by lines crossing / change in direction > 90°/ chaotic lines(1)	**2**
12 (b)	Name and describe the type of water flow at A_2 and at B_2. A - laminar flow / streamline flow (1) no abrupt change in (direction or speed of) flow/ flows in straight lines / velocity at any point constant / no mixing of layers [no eddies is not sufficient; smooth is not sufficient; no disruption of lines not sufficient](1) B - turbulent flow (1) mixing of layers / eddies / sudden change in (direction or speed of) flow / velocity at a point not constant (1) [NB - All independent marks]	**4**
	Total for question	**6**

Question Number	Answer	Mark
13(a)	Explain the meanings of the terms brittle and ductile. brittle – undergoes no / little plastic deformation (before breaking) / tends to break when subject to impact [accept breaks just beyond / soon after limit of proportionality / elastic limit] (1) graph (1) ductile – undergoes a lot of plastic deformation (before breaking) / able to undergo permanent deformation under tensile stress / can be drawn into wires (1) graph (1) [Assume axes labels if not given, accept force, extension labels] [1 graph mark max if stress strain labels reversed] [Ductile graph can be curved from start] 	**4**
13(b)	give an example of a ductile material and situation where behaviour desirable material example, e.g. copper (accept metal or any metal) (accept chewing gum, silly putty …) (not rubber)(1) example of desirable application, e.g. making wires (1) [NB Not examples of moulding or malleable behaviour]	**2**
	Total for question	**6**

Question Number	Answer	Mark
14(a)	Use the displacement-time graph to find the speed of the object at time t = 4 s. Draw a tangent (accuracy marked in final part) or state use gradient (1) Use of speed = distance/time for values from graph (i.e. on gradient or curve) (1) Correct answer [8.0 ± 0.5 m s^{-1}] (1) [no ecf for values taken] Possible alternative – state or use $s = (u + v)t/2$ (1), correct substitution (1), correct answer (1) (speed from curve values then x 2 gains these 3 marks) *Example of calculation* v = (32 m – 0 m) / (6.0 s – 2.0 s) = 8.0 m s^{-1}	**3**
14(b)	Calculate the acceleration. Use of $v = u + at$ with previous answer OR use of $s = ut + 1/2\ at^2$ with values from graph (1) Correct answer [2 m s^{-2}] (1) [allow ecf] *Example of calculation* $a = (v – u) / t$ = (8.0 m s^{-1} – 0) / 4 s = 2 m s^{-2}	**2**
	Total for question	**5**

Question Number	Answer	Mark
15 (a)	Free body diagram. Weight / W / mg (NOT 'gravity') – correctly labelled arrow (allow force/pull of gravity) (1) Normal contact force / force/push of table / 'reaction' / R – correctly labelled arrow (1) [3 forces labelled – max 1mark, 4 forces – no marks BUT ignore upthrust.] [The free-body diagram does not have to include the bottle but the forces must be co-linear for the second mark]	**2**
15 (b)	Give a corrected explanation. ***(Newton) 3rd law*** → *eq and opp (1)* by **(Newton) 1st law** (accept 2nd law) (1) forces balanced → no **acceleration** / no **change in velocity** / **remains at rest** (1) [Bold type indicates required changes]	**3**
	Total for question	**5**

Question Number	Answer	Mark
16(a) (i)	Show that the power available to the turbine is about 40 kW. Use of density = *m/V* (1) Use of gpe = *mgh* (1) Correct answer [38 000 W] (1) [no ue] *Example of calculation* volume in 1 s = 0.13 m^3 mass = density x *V* = 1000 kg m^{-3} x 0.13 m^3 (1) = 130 kg gpe lost = *mgh* = 130 kg x 9.81 N kg^{-1} x 30 m = 38 000 J in one second, so power = 38 000 W [1000 kg m^{-3} x 0.13 m^3 x 9.81 N kg^{-1} x 30 m = 38 000 W gets 3 marks]	**3**
16(a) (ii)	Suggest a reason for output only 6 kW friction e.g. in turbine, in fluid / flow rate lower / heat due to friction [accept (electrical) resistance in turbine] (1)	**1**
16(b) (i)	Calculate maximum output of solar system for 6 hours Use of energy = power x time(1) Correct answer [216 MJ] (1) *Example of calculation* Energy = power x time = 10 000 W x 6 x 60 x 60 s = 2.16 x 10^8 J [216 000 000 J, 216 MJ, 216 000 kJ]	**2**
16(b) (ii)	Discuss suitability of output of diesel generators Renewables – 100 + 6 + 6 + 24 + 10 = 146 kW [accept 140 kW], vs diesel 160 kW (1) Backup must be enough to replace whole of renewable amount / diesel power greater than or approximately equal to renewable(1)	**2**
	Total for question	**8**

Question Number	Answer	Mark
17(a) (i)	Label the diagram Upthrust / *U* – upward arrow [accept buoyancy force] (1) Viscous drag / drag / friction / *F* / *V* / *D* – downward arrow [accept water resistance](1) [Arrows do not have to be on the bubble]	**2**
17(a) (ii)	Explain why a steady upwards speed is reached. Initially viscous drag = 0 / is very small / resultant force is upwards / $U > W$ / $U > W + F$ (1) Viscous drag increases (1) (Until) forces balanced (1) Therefore: no acceleration / uniform velocity / terminal velocity / const speed (1) Must be a clear link to balanced forces to allow mark 4, even if mark 3 not awarded	**4**
17(a) (iii)	Write an expression for the forces (-) Upthrust = Viscous drag + Weight; Upthrust + Viscous drag + Weight = 0 (1) [Allow ecf from diagram] [Accept symbols]	**1**
17(b) (i)	Justify decision to ignore weight of air Density of air much less than density of (any) liquid (1) So weight << upthrust / weight << viscous drag / weight << other forces(1) (not consequential) ('W negligible' alone not sufficient)	**2**
17(b) (ii)	Explain what would happen if temperature increased viscosity decreases (1) speed/velocity would be greater (1)	**2**
17(b) (iii)	Use expression to explain larger bubble catching smaller bubble If r increases so speed increases (1)	**1**
	Total for question	**12**

Question Number	Answer	Mark
18(a)	Show that the work done on the cork is about 4 J. Use of work = force x distance (1) Correct answer [3.75 (J)] (1) [no ue] Example of calculation work = force x distance = 150 N x 2.5 x 10^{-2} m = 3.75 J	**2**
18(b)	Calculate the speed of cork Use of ke = 1/2 mv^2 (1) Correct answer [32 m s^{-1}] (1) [allow ecf] Or Use of $a = F/m$ **and** $v^2 = u^2 + 2as$ (1) Correct answer (1) Example of calculation 3.75 J = 1/2 x 0.0075 kg x v^2 v^2 = 1000 m^2 s^{-2} v = 31.6 m s^{-1} [4 J then ke = 32.7 m s^{-1}]	**2**
18(c) (i)	Show that the vertical component of the velocity is about 20 m s^{-1}. Correct answer [21 (m s^{-1})] [no ue] *Example of calculation* $v_v = v \sin \theta$ = 32 m s^{-1} x sin 40° = 20.6 m s^{-1}	**1**
18(c) (ii)	Calculate distance travelled by cork Horizontal component (1) Use of appropriate equation of motion, e.g. $v = u + at$ (1) Time of flight (1) Use of velocity = distance / time (1) Correct answer [103 m] (1) [allow ecf for vertical component] [missing factor of 2 for time of flight → max 3 marks] *Example of calculation* $v_h = v \cos \theta$ = 32 m s^{-1} x cos 40° = 24.5 m s^{-1} Time to max height, $t = (v - u)/a$ = 20.6 m s^{-1} / 9.81 m s^{-2} = 2.1 s Total time = 2 x 2.1 s = 4.2 s range = v x t = 24.5 m s^{-1} x 4.2 s = 103 m	**5**
18(d)	Explain difference to world record	

	If previous answer is larger than 53 m: Air resistance/friction on cork as it leaves the bottle (1) Work done → energy dissipated OR air resistance decelerates cork / reduces speed of cork OR friction with bottle reduces acceleration/launch speed OR reduces ke of cork(1) Accept different angle (1) greater than 50°/ less than 40° reduces range (1) Accept different pressure (1) Lower pressure reduces initial force (1) Accept wind blowing against cork (1) Decelerate cork (1) Accept different cork mass (1) larger mass gives smaller initial speed (1) BUT if start off saying 45° / higher pressure / smaller mass – no marks out of 2 because these would increase range ETC. If previous answer is smaller than 53 m: Accept different angle (1) between 50° and 40° (or 45°) increases range (1) Accept different pressure (1) higher pressure increases initial force (1) Accept wind blowing behind cork (1) Accelerates cork (1) Accept different cork mass (1) smaller mass gives higher initial speed (1)	**2**
	Total for question	**12**

Question Number	Answer	Mark
19(a)	Force diagram Accept free body or triangle/parallelogram of forces Downward arrow labelled Weight/*W*/*mg* (1) Arrows parallel to both lines, at least one labelled tension/*T*(1) Minus 1 for each additional force	**2**
19(b) (i)	Show that downward vertical force is about 11 N Correct answer (10.8 N) (1) [no ue] *Example of calculation* $W = mg$ $= 1.1 \text{ kg} \times 9.81 \text{ N kg}^{-1}$ $= 10.8 \text{ N}$	**1**
19(b)(ii)	Show that the angle is about 84°. Correct use of sides in right angled triangle (1) Correct answer [84.2°] (1) [no ue] *Example of calculation* $\tan \theta = 4.80 \text{ m} / 0.485 \text{ m}$ Angle = 84.2° (Accept use of cos instead of tan)	**2**

19(b) (iii)	Show that the tension on the line is less than 60 N Use of trigonometrical function for vertical component of tension (1) Correct answer [53 N] (1) [allow ecf] [no ue] Example of calculation $T_v = T \cos \theta$ $W = 2\ T \cos \theta$ T = 10.8 N / 2 x cos 84.2 = 53.4 N Alternative answers range from 51 N to 55 N	**2**
19(b) (iv)	Calculate the strain Calculate extension (1) correct answer [2.6×10^{-2}] (1) *Example of calculation* extension = 9.847 m – 9.6 m = 0.247 m strain = 0.247 m / 9.6 m = 2.6×10^{-2} [2.6%]	**2**
19(c)	Calculate Young's modulus Use of stress = force / area (1) Use of E = stress / strain (1) Correct answer [3.1×10^8 Pa] [3.1×10^8 N m^{-2}] (1) [allow ecf, including use of F = 60 N] [Substituting into $E = (F/A)/(e/l)$ in one go gets both use of marks] $E = (F/A)/(e/l)$ = (53.4 N / 6.6×10^{-6} m^2) / 2.6×10^{-2} = 3.1×10^8 Pa (accept answers in range 3.0×10^8 Pa to 3.6×10^8 Pa for alternative F values)	**3**
	Total for question	**12**